## **GLOSSARY OF SYMBOLS**

The book spans a number of disciplines: physics, information theory, psychophysics ... By and large, the set of symbols characteristically used in a given discipline have been retained, which has led to some replication of nomenclature. For example,  $N_i$  has been used to represent the number of phase points in the *i*<sup>th</sup> cell in phase space (as is common in physics), while  $N_o$  has been used for Avogadro's number (also common in chemistry and physics),  $N(x;\mu,\sigma)$  represents the normal distribution with mean and variance,  $\mu$  and  $\sigma$ , respectively (as is usual in statistics), and N is also used (psychophysically) to represent the total number of jnd's between two intensity levels. The use of a particular symbol will usually be readily apparent from its context, so the replication should not cause any problem.

The listing of symbols below is fairly complete. The number in parentheses which appears after the definition of a symbol refers to a representative equation in which the symbol appears.

Greek

proportionality constant (9.3)
Lagrangian multiplier (6.29)
constant = $\beta/t'(10.2)$
as in $\delta x$ , used to indicate a small change in the quantity x
$\delta v_{\mu}$ small cell in $\mu$ -space. Also used to indicate <i>the variation in</i>
constant (10.13)
mean of a Poisson distribution (7.2)
$constant = \beta(I')^n (11.2)$
mean of a probability distribution
$\mu$ -space (" $\mu$ " for "molecule"): a multidimensional space used in statistical mechanics
frequency (sometimes represented as $f$ )
variance of a distribution:
$\sigma_s^2$ variance of pure signal
$\sigma_N^2$ variance of noise signal
$\sigma_R^2$ variance of reference signal
time: dummy variable (10.16)
time dilatation factor: introduced in Appendix 13.1
multiply by $\xi$ to convert time scale from behavioral to neuronal
nd Roman
represents a constant:

- proportionality constant in Fechner's law (3.4)/(10.5a), and in MacKay's (10.12)
- base of logarithm in Note 5, Chapter 2
- in Ferry-Porter law (3.30)
- ln A: Lagrangian multiplier (6.29)

b	represents a constant: Fechner's law (3.4)/(10.5a), MacKay (10.11),
	Ferry-Porter law (3.30)
<i>C</i> , <i>c</i>	c represents a constant: component of $n$ (3.5)
	law by Ekman (3.10)
	C Piéron's law $(3.26)$ , specific heat per mole, channel capacity $(8.21)$
E, e	<i>e</i> base of natural logarithms
	E() expectation (4.19)
F, f	f frequency (same as v): MacKay (10.11), Riesz (14.9) to (14.11)
	density of points in $\mu$ -space (15.3)
	F perceptual variable: sometimes taken as subjective magnitude, sometimes as neural
	impulse rate [rate of generation of action potentials in afferent neurons]
$\Delta F$	change in F: usually means change corresponding to one jnd
G	used to extremize the $H$ -function (4.7)
H,h	<i>h</i> Planck's constant (14.19)
	H entropy
$\Delta H$	change in <i>H</i> : threshold value of entropy
	(i) to permit discrimination (jnd)
	(ii) to permit detection or absolute threshold
H	entropy relating to single outcome (4.14), (4.15)
H(X)	source entropy (4.19)
H(Y)	receiver entropy
H(X,Y)	joint entropy (4.22)
H(X Y)	conditional entropy (4.20)
$H_I$	information theoretical entropy: subscript " <i>I</i> " to eliminate ambiguity when the
	symbol is used within the context of a physical (statistical mechanics) system (6.19)
Ţ	information
$\mathscr{I}_m$	mutual information (4.16)
$\mathscr{I}(X Y),$	
$\mathcal{I}(Y X)$	average mutual information (4.21)
Ι	intensity of a stimulus: e.g. concentration for a taste stimulus, square of mean sound
	pressure for an auditory stimulus
$I_{\infty} = I_{\min}$	absolute threshold (3.23), (13.6), (13.36)
I <sub>thresh</sub>	threshold intensity: a function of stimulus duration: for stimulus duration $\rightarrow \infty$ , $I_{\text{thresh}} \rightarrow I_{\infty}$ .
<i>K</i> , <i>k</i>	k scaling constant > 0 relating F to H in fundamental equation $F = kH$
	integration constant (3.7)
	$k_B$ Boltzmann's constant (6.20)
	K intercept of straight line $(10.18)$
	in law of olfactory threshold (13.55)
т	number of samplings made by a receptor of its stimulus population since the onset
	of the stimulus (9.2), (9.3)

Nn	n apparent of power law of sensation; introduced in (2.8) (10.8)
<i>I</i> <b>v</b> , <i>n</i>	n exponent of power law of sensation. Introduced in (5.8), (10.8)
	number of categories in an experiment on categorical judgment (Chapter 5)
	number of discrete intensities (Chapter 9)
	size of a sample as used in the Central Limit Theorem
	size of a sample as used in the Central Limit Theorem total number of cells in $\mu$ space (A15.1)
	N total number of ind's: $N^{I_b}$ is number of ind's between intensities L and L
	Total number of find s. $N_{I_a}$ is number of find s between intensities $I_a$ and $I_b$ .
	total number of phase points (6.25)
	raise (8.21)
	$\begin{array}{c} \text{HOISe} (8.21) \end{array}$
	$N_i$ number of phase points that lie in the <i>i</i> <sup>th</sup> cell in $\mu$ -space
	$N_o$ Avogadro's number
	$N(x;\mu,\sigma)$ the normal distribution: variable x, mean $\mu$ , and variance $\sigma^2$ .
	$N_{jk}$ element in a stimulus-response matrix: number of times that stimulus j is given and
	identified as stimulus k
	$N_j$ . sum of elements in the $j^{\text{th}}$ row of a stimulus-response matrix (4.24)
	$N_{k}$ sum of elements in the $k^{\text{th}}$ column of a stimulus-response matrix (4.23)
PBS	law Plateau-Brentano-Stevens law
PT	law Poulton-Teghtsoonian law (3.27), (12.31)
Р,р	<i>p</i> probability: used in many ways
	$p(x_j)$ probability of transmitting the symbol $x_j$
	$p(y_k)$ probability of receiving the symbol $y_k$
	$p(x_j, y_k)$ joint probability that $x_j$ is transmitted and $y_k$ is received
	$p(x_j y_k)$ conditional probability that signal $x_j$ was transmitted given that $y_k$ was received
	$p(y_k x_j)$ analogous to above
	$p(\mathbf{x} = x_i)$ probability that a random variable, <b>x</b> , will take on the value $x_i$ (7.1)
	$p_{\rm ol} - \log_{10} I_{\infty} = -\log_{10}$ (absolute threshold of a stimulus): used for olfactory stimuli
	$P(x_j, y_k)$ probability of occurrence of $x_j$ and $y_k$ if $x_j$ and $y_k$ are independent events.
	<i>P</i> pressure of a gas (Chapter 1)
	signal power (8.21)
Q,q	quantity of heat
Range	ratio of highest physiological (non-painful) stimulus intensity to the absolute threshold
	stimulus intensity (3.27)
r	same as exponent, <i>n</i> (symbol of Riesz)
R	gas constant (Chapter 1)
$R_0, R_i$	membrane resistance (10.21)
<i>S</i> , <i>s</i>	physical entropy and physical entropy per mole, respectively (6.13)

 $S_0, S_\infty$  values of the Weber fraction in Riesz's terminology (14.8)

<i>T</i> , <i>t</i>	
	<i>t</i> time: usually designates the time since stimulus onset: occasionally (when so-flagged)
	it designates the duration of the stimulus
	$t_s$ time between samples (9.2)
	$t_o$ time following the onset of the stimulus at which an adaptation curve reaches its
	maximum amplitude (11.5)
	$t_r$ simple reaction time (13.4), (13.7)
	$t_R$ candidate for simple reaction time (13.8)
	$t_{r \min}$ minimum simple reaction time (13.5)
U, u	internal energy and internal energy per mole, respectively
V	volume of a gas (Chapter 1)
$v_x, v_y, v_z$	cartesian velocity coordinates
WF	law Weber-Fechner law
W	thermodynamic probability: number of microstates corresponding to a given macrostate
	frequency bandwidth (8.20)
W	work done by a system
Wi	energy level of the $i^{th}$ phase cell
<i>x</i> , <i>y</i> , <i>z</i>	cartesian spatial coordinates
$x_j$	transmitted symbol
<i>Y</i> k	received symbol
Z, z	
	z number of photons $(7.2)$

*Z* partition function (6.30)